Quadratic Functions			
	$\frac{Standard}{y = ax^2 + bx + c}$	$\frac{\text{Vertex}}{y = a(x-h)^2 + k}$	$\frac{\text{Intercept}}{(\text{Factored})}$ $y = a(x-c)(x-d)$
1. Up or Down	a > 0 ↑ (min) a < 0 ↓ (max)	a > 0 ↑ (min) a < 0 ↓ (max)	a > 0 ît (min) a < 0 ↓ (max)
2. Vertex (point)	$x = \left(\frac{-b}{2a}, ?\right)$	(h,k)	(midpoints of x-intercepts, ?)
3. y-intercept (let x = 0, solve for y)	"C Value"	"Order of Operations"	"Order of Operations"
<pre>4. Axis of Symmetry (vertical line x = ?)</pre>	$x = \frac{-b}{2a}$	x = h	x = midpoint of x- intercepts
5. x- intercept(s) (let y = 0, solve for x)	5 ways to find intercepts, zeros, roots, and solutions 1. Square Root – Vertex form or Standard form and no "b value" 2. Graphing – Approximations 3. Quadratic Formula – Standard form and $b^2 - 4ac \neq perfect square$ $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ 4. Completing the Square – Standard form "a value is 1" and "b value is even" 5. Factoring – Standard form and $b^2 - 4ac = perfect$ square		

9 Types of Factoring

- 1. GCF
- 2. GCF complete factoring
- 3. Quadratic Trinomial (Trial and Error)
- 4. Perfect Square Trinomial ($\sqrt{b^2 4ac} = 0$)
- 5. Difference of 2 Squares (___+___)
- 6. Sum of 2 Cubes (__+__)(__-_+__)
- 7. Difference of 2 Cubes (____)(___+___)
- 8. Graphing (4 terms)
- 9. Unfactorable